

- 1. Make sense of problems and persevere in solving them.
- 2. Reason abstractly and quantitatively.
- 3. Construct viable arguments and critique the reasoning of others.
- 4. Model with mathematics.
- 5. Use appropriate tools strategically.
- 6. Attend to precision.
- 7. Look for and make use of structure.
- 8. Look for and express regularity in repeated reasoning.

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Source Documents:

Based on Common Core Standards for Mathematics

Adapted from Escondido Union High School District: "I Can" Statements

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Common Core Integrated **Math III Grade 11 Expectations Checklist Number** and Quantity **Statistics** and **Algebra Probability** Conceptual **Categories Geometry Functions** Modeling

	(S-ID) narize, represent, and interpret data on a sing
	or measurement variable (4)
	use the mean and standard deviation of a data set to fit it t normal distribution and to estimate population percentag
	ng Inferences and Justifying Conclusion
(S-IC) Under) rstand and evaluate random process
	lying statistical experiments (1, 2)
	understand statistics as a process for making inference about population parameters based on a random populate sample
	decide if a specified model is consistent with results from given data-generating process
Make	inferences and justify conclusions from
	le surveys, experiments and observationes (3, 4, 5, 6)
	recognize the purposes of and differences among sam surveys, experiments, and observational studies; expl how randomization relates to each
	use data from a sample survey to estimate a populat mean or proportion; develop a margin of error through use of simulation models for random sampling
	use data from a randomized experiment to compare treatments; use simulations to decide if differences betwee parameters are significant
	evaluate reports based on data
Using	g Probability to Make Decision
(S-Mi	o)
Use p (+) (6,	robability to evaluate outcomes of decisio
(') (0,	use probabilities to make fair decisions (e.g., drawing
	lots, using a random number generator)
	analyze decisions and strategies using probability conce



understand that rational expressions form a system closed

under addition, subtraction, multiplication, and division by a

nonzero expression; perform such operations

My checklist of what I can do in Integrated Mathematics III - Grade 11....

oxdot I understand that it is important to apply the mathematical practices (listed on fold-out section) on a regular basis. Creating Equations (A-CED) Analyze functions using different representations Model periodic phenomena with trigonometric (7b-c, 7e, 8, 9) Create equations that describe numbers or functions (5) The Complex Number System (N-CN) relationships (1, 2, 3, 4) graph square root, cube root, and piecewise-defined choose trigonometric functions to model periodic phenomena Use complex numbers in polynomial identities and functions, including step functions and absolute value create equations and inequalities in one variable and use with specified amplitude, frequency, and midline equations (8,9) them to solve problems. Include equations arising from extend polynomial identities to the complex numbers linear and quadratic functions, and simple rational and graph polynomial functions, identifying zeros when suitable know the Fundamental Theorem of Algebra; show that it is exponential functions. factorizations are available, and showing end behavior true for quadratic polynomials **Similarity, Right Triangles, and Trigonometry** create equations in two or more variables to represent graph exponential and logarithmic functions, showing (G-SRT) relationships between quantities; graph equations on intercepts and end behavior, and trigonometric functions, Apply trigonometry to general triangles (9, 10, 11) coordinate axes with labels and scales showing period, midline, and amplitude derive the formula A = 1/2 ab sin(C) for the area of a triangle represent constraints by equations or inequalities, and by **Seeing Structure in Expressions (A-SSE)** write a function defined by an expression in different but by drawing an auxiliary line from a vertex perpendicular to systems of equations and/or inequalities, and interpret Interpret the structure of expressions (1a-b, 2). equivalent forms to reveal and explain different properties the opposite side solutions as viable or nonviable options in a modeling interpret parts of an expression such as terms, factors, and of the function prove the Laws of Sines and Cosines and use them to solve compare properties of two functions each represented in problems rearrange formulas to highlight a quantity of interest, using interpret expressions by viewing one part as a single entity a different way (algebraically, graphically, numerically in understand and apply the Law of Sines and the Law of the same reasoning as in solving equations tables, or by verbal descriptions) Cosines to find unknown measurements in right and non-Write expressions in equivalent forms to solve right triangles **Reasoning with Equations and Inequalities** problems (4) **Building Functions (F-BF)** (A-REI) Build a function that models a relationship between derive the formula for the sum of a finite geometric series Understand solving equations as a process of **Geometric measurement and dimension** two quantities (1b) and use it to solve application problems reasoning and explain the reasoning (2) (G-GMD) combine standard function types using arithmetic operations Visualize relationships between two-dimensional solve simple rational and radical equations in one variable, **Arithmetic with Polynomials and Rational** and give examples showing how extraneous solutions may and three-dimensional objects (4) **Expressions (A-APR)** Build new functions from existing functions identify the shapes of two-dimensional cross-sections of Perform arithmetic operations on polynomials (1) (3, 4a)Represent and solve equations and inequalities three-dimensional objects, and identify three-dimensional understand that polynomials form a system that is closed identify the effect on the graph by replacing f(x) with f(x) + k, objects generated by rotations of two-dimensional objects graphically (11) under addition, subtraction, and multiplication and solve kf(x), f(kx), and f(x+k) and find values of k given graphs explain why the x-coordinates of the points where the graphs problems in and out of context of two functions, f(x) and g(x), intersect is the solution to solve an equation of the form f(x) = c for a simple function f Understand the relationship between zeros and **Modeling with Geometry (G-MG)** f(x)=g(x); find the approximate solutions using technology that has an inverse and write an expression for the inverse factors of polynomials (2, 3) Apply geometric concepts in modeling situations and varying methods (tables, graphs, etc.) know and apply the Remainder Theorem for polynomial (1, 2, 3)use geometric shapes, their measures, and their properties Linear, Quadratic, and Exponential Models identify zeros of polynomials when suitable factorizations to describe objects (F-LE) are available, and use the zeros to construct a rough graph Construct and compare linear, quadratic, and apply concepts of density based on area and volume in **Interpreting Functions (F-IF)** of the polynomial function exponential models and solve problems (4) modeling situations Interpret functions that arise in applications in terms Use polynomial identities to solve problems (4, +5) of the context (4, 5, 6) for exponential models, express as a logarithm the solution apply geometric methods to solve design problems prove polynomial identities and use them to describe to abct = d where a. c. and d are numbers and the base b is interpret key features of functions such as intercepts. numerical relationships 2, 10, or e; evaluate the logarithm using technology extrema, intervals for increasing and decreasing, etc. in know and apply the Binomial Theorem for the expansion of graphs and tables $(x + y)^n$ in powers of x and y for a positive integer n, where Statistics and Probability **Trigonometric Functions (F-TF)** relate the domain of a function to its graph and quantitative x and y are any numbers, with coefficients determined for Extend the domain of trigonometric functions using (Continued on fold-out section of this bookmark) relationship in context example by Pascal's Triangle the unit circle (1, 2) calculate and interpret the average rate of change of a How to use checklist: **Rewrite rational expressions (6, +7)** understand radian measure of an angle as the length of the function (presented symbolically or as a table) over a rewrite simple rational expressions in different forms using arc on the unit circle subtended by the angle Show the date of when you were able to specified interval. Estimate the rate of change from a graph long division, inspection, or technology explain how the unit circle in the coordinate plane enables

the extension of trigonometric functions to all real numbers,

interpreted as radian measures of angles traversed

counterclockwise around the unit circle

- do the math expectation.
- Show an example of what you did in a journal.